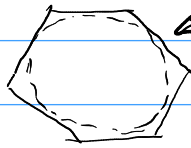


# GROUTED BASE PLATES

PROCESS EQUIPMENT DESIGN METHOD

→ EQUIPMENT FIELD  
→ LARGE OPENINGS

→ APPROACHING THE INNER DIAMETER OF THE SHELL.



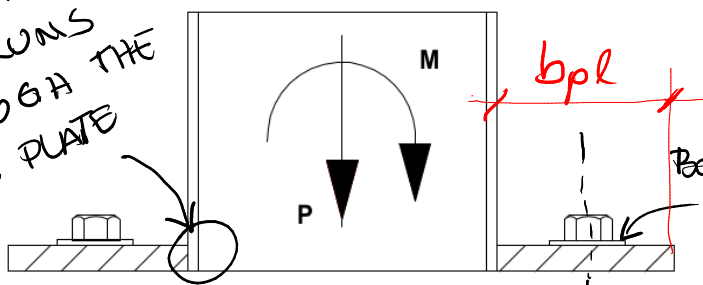
→ METHOD

← CAN BE CONSERVATIVELY USED FOR POLYGONAL PLATES.

→ WORKING STRESS DESIGN METHOD (WSD)

→ ECCENTRICITY IS SUFFICIENT LARGE TO PRODUCE TENSION ON A PORTION OF THE BASE PLATE.

SHELL OF THE PIPE RUNS THROUGH THE BASE PLATE



REINFORCED CONCRETE COLUMN THEORY

BOLT CIRCLE IS IN THE CENTER OF THE BEARING PLATE

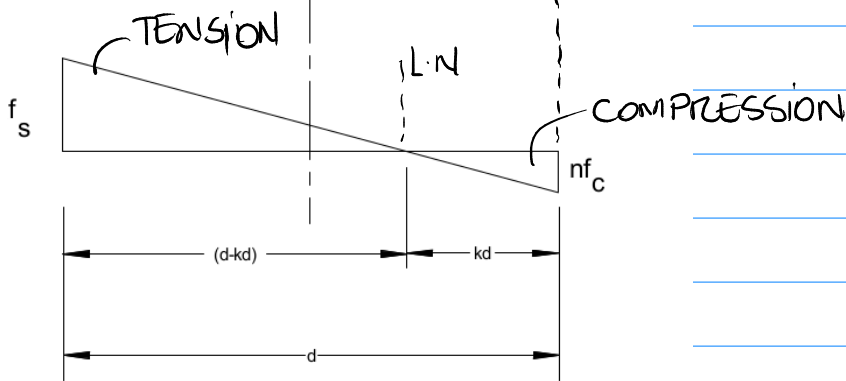


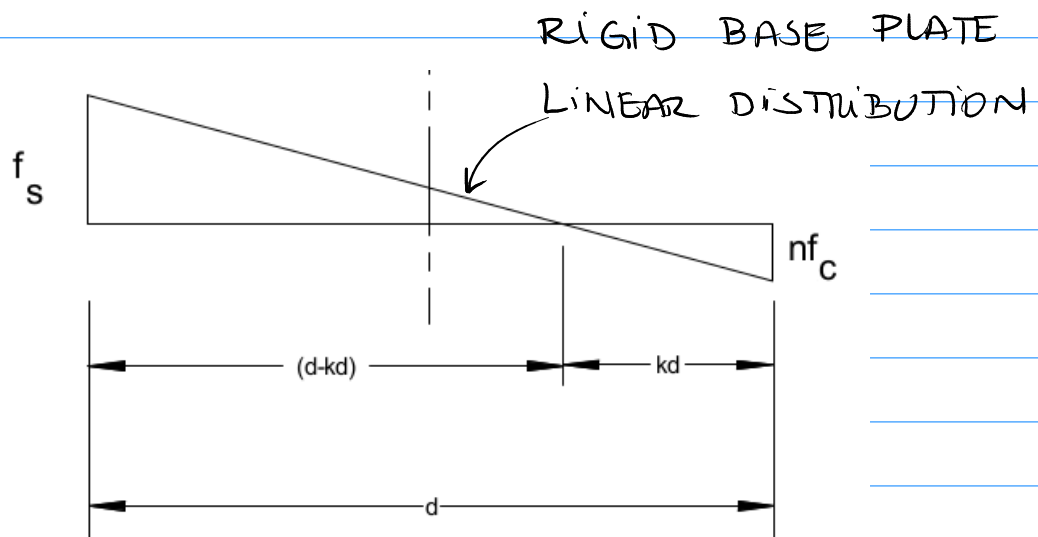
Fig. 2-1

## MODULAR RATION

$$n = \frac{E_s}{E_c} \quad \checkmark$$

$f_c$  - COMPRESSIVE STRESS IN THE CONCRETE

$f_s = n \cdot f_c$  - COMPRESSIVE STRESS  
IN THE STEEL BOLTS



By similar triangles

$$\frac{f_s}{(d-kd)} = \frac{n f_c}{kd}$$

therefore

$$k = \frac{n f_c}{n f_c + f_s} = \frac{1}{1 + \left( \frac{f_s}{n f_c} \right)}$$

$t_s$  - EQUIVALENT STEEL RING FOR THE BOLTS AREA.  
 BOLTS UNIFORMLY SPACED AROUND THE BOLT  
 CIRCLE

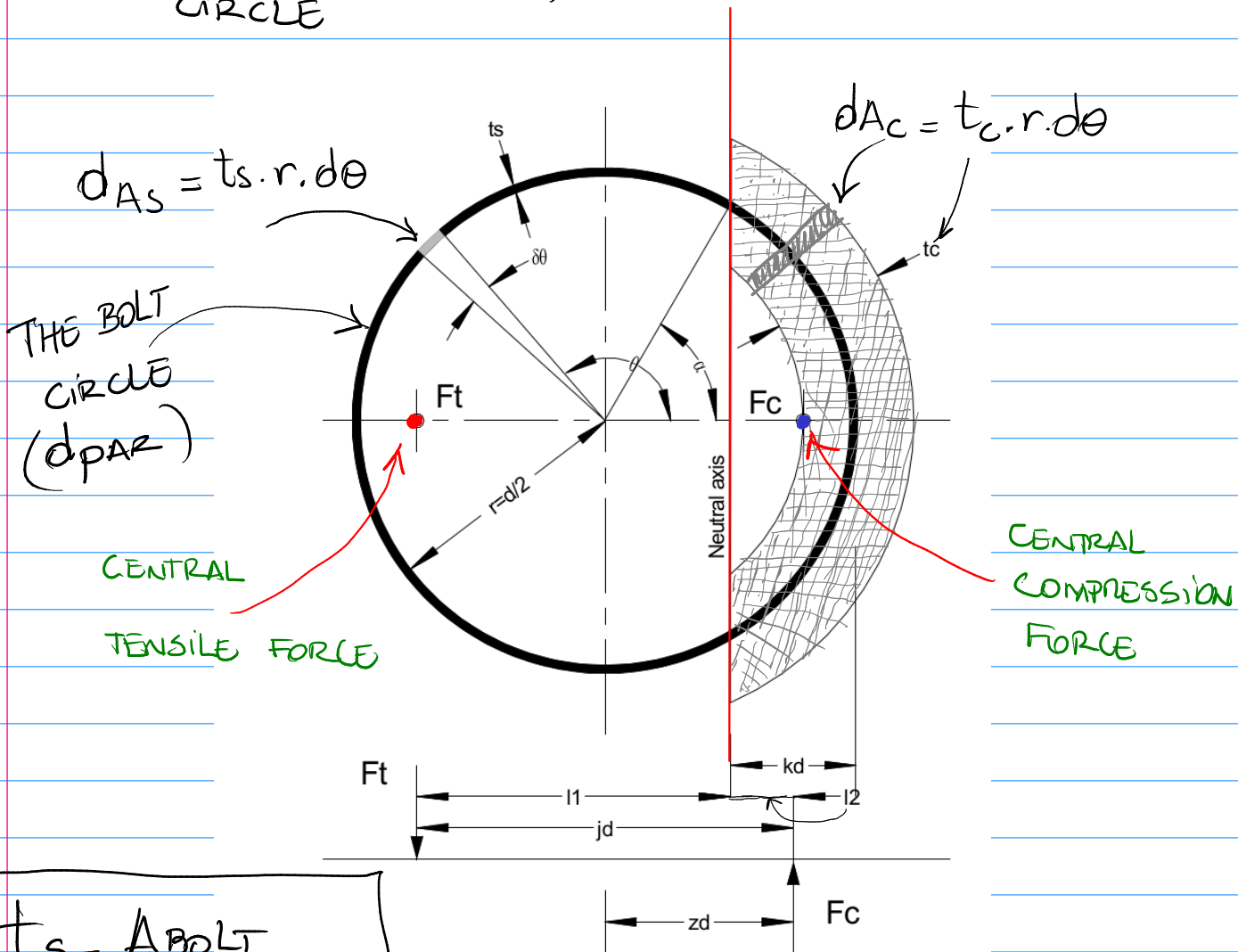


Fig. 2-2

$$t_s = \frac{A_{BOLT}}{\pi \cdot d_{PAR}}$$

The values of  $\alpha$ ,  $C_t$  and  $l_1$  are constants for a given value of  $k$ .

$$\cos \alpha = 1 - 2k$$

$l_1$  - DISTANCE FROM  
 NEUTRAL AXIS TO  
 $F_t$

$$\alpha = \cos^{-1}(1 - 2k)$$

← CENTER OF  
 TENSION PORTION

GNU  
 OCTAVE  
 → ACOS

$l_2$  - DISTANCE FROM NEUTRAL AXIS  
TO  $F_c$

← CENTER OF COMPRESSION PORTION

$$l_1 = \frac{M_t}{F_t} = r \left[ \frac{(\pi - \alpha) \cos^2 \alpha + \frac{3}{2} (\sin \alpha \cos \alpha) + \frac{1}{2} (\pi - \alpha)}{(\pi - \alpha) \cos \alpha + \sin \alpha} \right] \quad \checkmark$$

$$r = d/2$$

TOTAL TENSILE FORCE

$$F_t = F_s \cdot t_s \cdot r \cdot C_t \quad \checkmark$$

$$C_t = \left[ \frac{2}{(1 + \cos \alpha)} ((\pi - \alpha) \cos \alpha + \sin \alpha) \right] \quad \checkmark$$

# TOTAL COMPRESSION FORCE

$$F_c = (t_c + n \cdot t_s) \cdot r \cdot f_c \cdot C_c$$

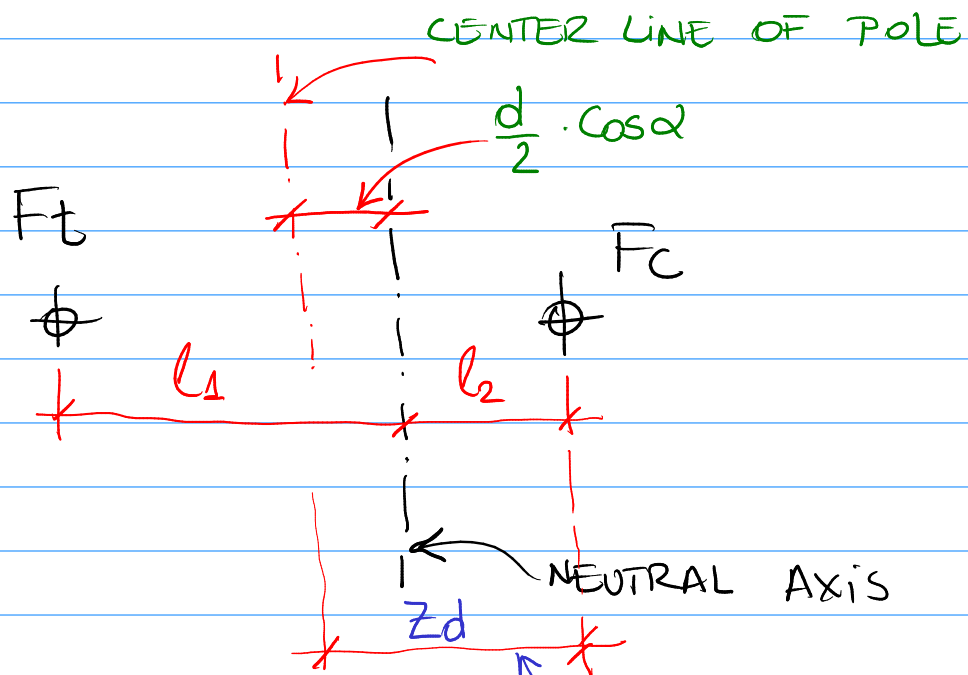
$$C_c = 2 \left[ \frac{\sin \alpha - \alpha \cos \alpha}{1 - \cos \alpha} \right]$$

$$t_c = b_{pl} - t_s$$

$$f_c = \frac{F_c}{(t_c + n t_s) r C_c}$$

CONVERSELY

$$I_2 = \frac{M_c}{F_c} = r \left[ \frac{\alpha \cos^2 \alpha - \frac{3}{2} (\sin \alpha \cos \alpha) + \frac{1}{2} \alpha}{\sin \alpha - \alpha \cos \alpha} \right]$$



DIMENSIONLESS RATIO  $j$

$$j = \frac{l_1 + l_2}{d}$$

$$z_d = l_2 + \frac{d}{2} \cos \alpha$$

## EQUILIBRIUM CONDITIONS

$$\Sigma M = 0$$

$$M - P \cdot z d - \underbrace{F_t \cdot j \cdot d}_{F_t \cdot (l_1 + l_2)} = 0 \quad \checkmark$$

$$F_t \cdot (l_1 + l_2)$$

$$f_s = \frac{F_t}{t_s \cdot r \cdot c t} \quad \checkmark$$

TENSION STRESS ON  
EQUIVALENT RING

$$\Sigma F_v = 0$$

$$F_t + P - F_c = 0$$

$$F_c = F_t + P$$

CONVERSELY

$$F_t = \frac{M - P \cdot z d}{j \cdot d}$$

USEFUL

$$f_c = \frac{k \cdot d \cdot f_s}{n \cdot (d - k \cdot d)}$$

## THE PEAK BEARING STRESS

$$f_{c \max} = f_c \cdot \left( \frac{2 \cdot k \cdot d + b_{pl}}{2 \cdot k \cdot d} \right)$$

### Example 2.1

Analyze a grouted base plate for a 55" diameter pole that runs through the base plate. The bolt circle is 64" with (20) 2-1/4" bolts. The vertical load is 46 kips and the moment is 3565 kip-ft (42780 in-kips). The thickness of the base plate is 2-1/4". The outer diameter of the base plate is 73". The concrete has a strength of 3000 psi.

57,15 mm

$$n = \frac{E_s}{E_c} = \frac{29000}{57\sqrt{3000}} = 9.29$$

$$A_s = 20(3.25) = 65 \text{ in}^2$$

$$r = \frac{64}{2} = 32 \text{ in}$$

$$t_s = \frac{65}{64\pi} = .323 \text{ in}$$

$$t_c = \frac{73 - 55}{2} - .323 = 8.677$$

Diâmetro interno (55")	139,70 cm
Diâmetro externo (73")	185,42cm
Diâmetro da linha de parafusos	162,56cm
20 chumbadores ø57,15 mm (5,175cm)	
Nd = 204,61819 kN (46 kips)	
Md = 4833,491 kN.m (3565 kip-foot)	
Es/Ec = 9,29	

**Tração no chumbador (107 kips) = 475.95971 kN**

$$b_{pl} = 22,86 \text{ cm}$$

# MANUAL X TRAMEMAST

$$\alpha = 1.165 \longrightarrow \text{alfa} = 1.1669 \checkmark$$

$$C_c = 1.516 \longrightarrow Cc = 1.5188 \checkmark$$

$$C_t = 2.4366 \longrightarrow Ct = 2.4344 \checkmark$$

$$z = .437 \longrightarrow z = 0.4369 \checkmark$$

$$j = .781 \longrightarrow j = 0.7813 \checkmark$$

$$F_t = 829.8 \text{ kips} \longrightarrow \gg Ft/4.4482216 \checkmark$$

$$\text{ans} = 829.80$$

$$F_c = 875.8 \longrightarrow \gg Fc/4.4482216 \checkmark$$

$$f_s = 32.92 \text{ ksi} \longrightarrow \text{ans} = 875.80$$

$$f_c = 1.546 \text{ ksi} \longrightarrow fs = 22.646 \text{ kN/cm}^2 \checkmark$$

$$k_{\text{calc}} = .303 \longrightarrow fc = 1.0630 \text{ kN/cm}^2 \checkmark$$

$$\longrightarrow kc = 0.3036$$

IT'S ALL RIGHT !!!

Which is sufficiently accurate to proceed to final calculations

$$P_{\text{bolt}} = f_s A_{\text{bolt}} = 32.92 \times 3.25 = 107 \text{ kips} \checkmark$$

## TENSILE FORCE ON ANCHOR BOLT

$$N_{\text{tsd}} = 476.33 \text{ kN} \checkmark$$

$$= 107,083 \text{ kips} \checkmark$$



$$f_{c\max} = f_c \left( \frac{2kd + b_{pl}}{2kd} \right)$$

WITHOUT BRACKETS

$$f_{c\max} = \frac{1.546 \times 2 \times .3025 \times 64 + \left( \frac{73-55}{2} \right)}{2 \times .3025 \times 64} = 1.78 \text{ ksi} \leq .7 \times 3 \times 1.33 = 2.8 \text{ ksi o.k.}$$

1.9053 ✓  
ksi

(1.546 \* (2 \* 0.3025 \* 64 + ((73-55)/2))) / (2 \* 0.3025 \* 64)  
ans = 1.9053 ksi

1,9053 ksi = 1,31 kN/cm<sup>2</sup> ✓

TRAMEMAST RESULT

fcmax = 1.3093 ✓

MOMENT ON THE COMPRESSION SIDE OF THE PLATE

$$M_{\max} = \frac{f_c l^2}{2} = \frac{1.546 \times 9^2}{2} = 62.6 \frac{\text{in} \cdot \text{kip}}{\text{in}}$$

Mmax = 277.75 kN·cm/cm

OK!

TRAMEMAST.

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VERIFICAÇÃO DE LIGAÇÃO DE BASE CIRCULAR GRAUTEADA  
Cálculo baseado no Equipment Design Method  
Technical Manual 1 – Design Monopole Base Plates  
By Daniel Horn, P.E.  
Autor: Eng. Paulo C. Ormonde - REV: 24.09.18  
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Esforços solicitantes de cálculo

Momento fletor.....: 483349.10 kN.cm  
Normal de compressão.....: 204.62 kN  
Cortante.....: 0.00 kN

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Resultados da análise

Razão modular.....: 9.29  
Fator K do processo iterativo.....: 0.3036  
Braço de alavanca (l1+l2).....: 1270.1151 mm  
L.N em relação ao centro do mastro.....: 319.43 mm

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Verificação da placa de base

Tensão de escoamento do aço da placa.....: 25.00 kN/cm<sup>2</sup>  
Tensão de ruptura do aço da placa.....: 40.00 kN/cm<sup>2</sup>  
Diâmetro da placa de base.....: 1854.20 mm  
Largura da placa (anel). ....: 228.60 mm

Momento fletor no lado comprimido.....: 277.75 kN.cm/cm  
Momento fletor no lado tracionado.....: 248.11 kN.cm/cm

Espessura mínima de cálculo da placa.....: 69.92 mm  
Espessura adotada para placa de base.....: 76.20 mm

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Verificação dos chumbadores

Diâmetro dos chumbadores.....: 51.75 mm  
Área bruta de aço do chumbador.....: 21.03 cm<sup>2</sup>  
Número de chumbadores.....: 20  
Tensão de ruptura do aço dos chumbadores.: 40.00 kN/cm<sup>2</sup>

Normal de tração solicitante de cálculo.: 476.33 kN  
Normal resistente de tração de cálculo...: 467.41 kN

Cisalhamento solicitante de cálculo.....: 0.00 kN  
Cisalhamento resistente de cálculo.....: 280.45 kN

Tração + Cisalhamento dos parafusos

Taxas de trabalho

- Tração.....: 1.02  
- Cisalhamento.....: 0.00  
- Tração + Cisalhamento.....: 1.04

Comprimento de ancoragem de cálculo.....: 2260.00 mm  
Comprimento do chumbador.....: 2460.00 mm

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Peso da placa de base.....: 698.34 kg  
Peso dos chumbadores.....: 812.35 kg

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Peso dos Total.....: 1510.69 kg